

Equilibrium

Cluster Interdependency System

Global Hackathon COVID-19

<https://covid-global-hackathon.devpost.com/>

Pandemic

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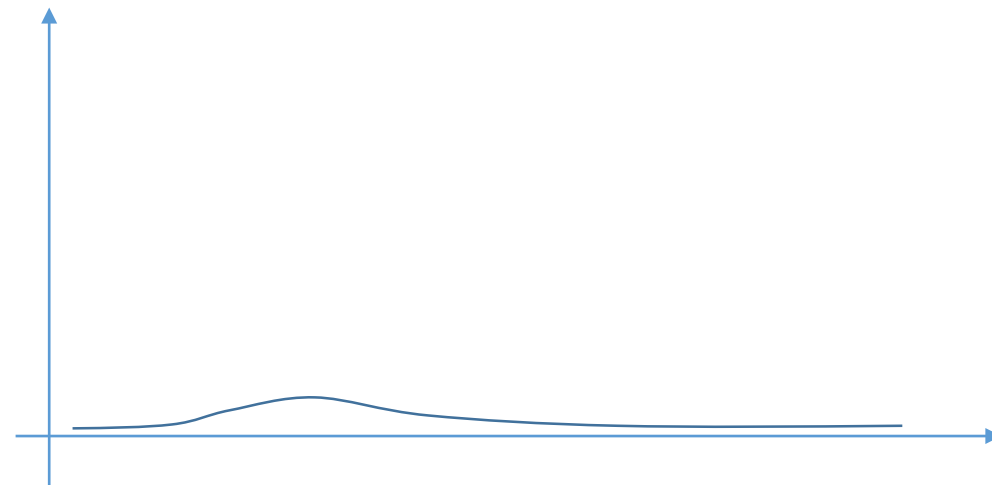
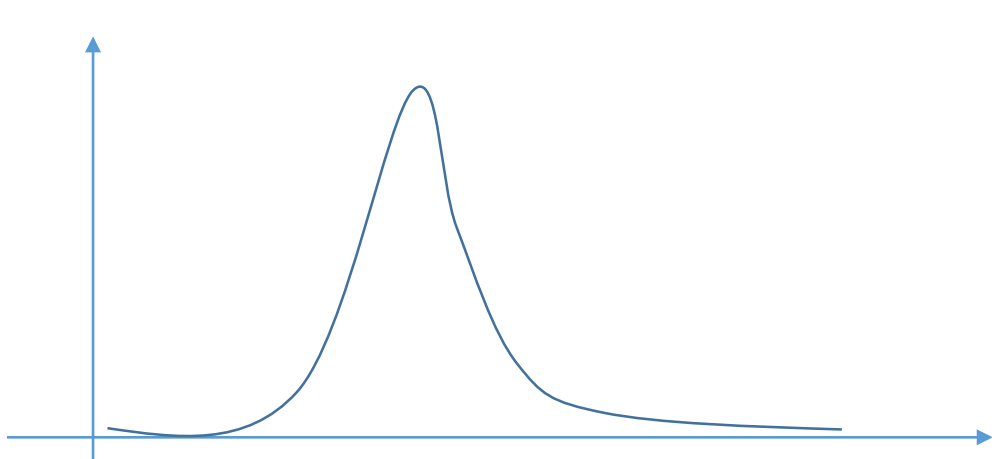
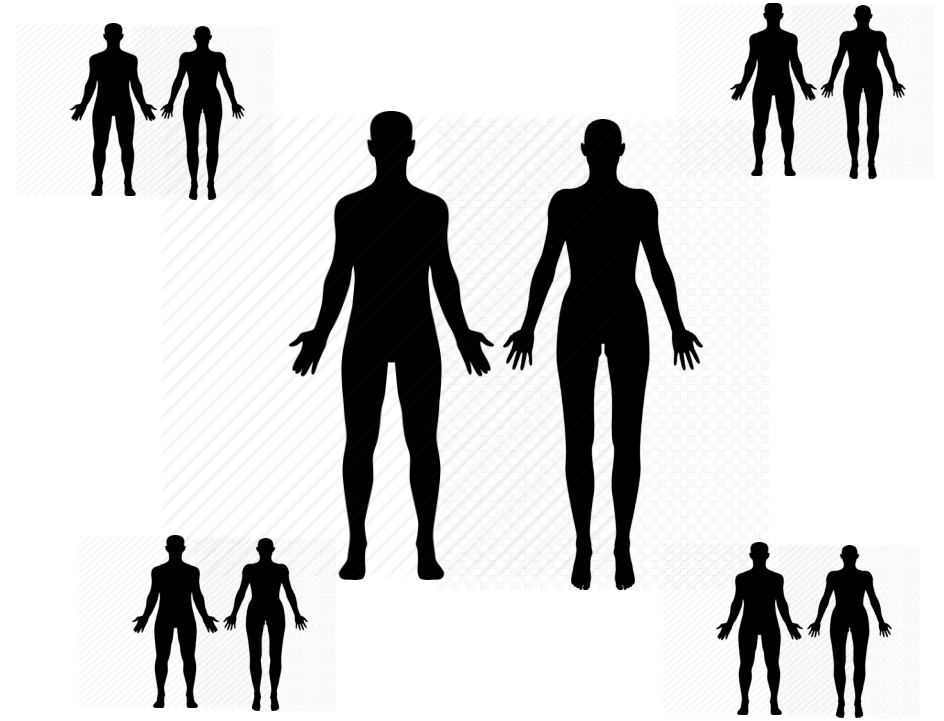
Use Case – Pandemic scenario

- There's a way to keep the virus SarsCov2 under control.
 - Social Isolation.
 - But social isolation blocks the economy and life degrades in quality.
 - We should calculate the equilibrium to come into safely contact, to stem infection or apply quarantines by sector.
 - We might control the pandemic indefinitely.

0xa6650333e8005a101267cd07853506696974fdc68c9319beea9e6b0d0acf9580
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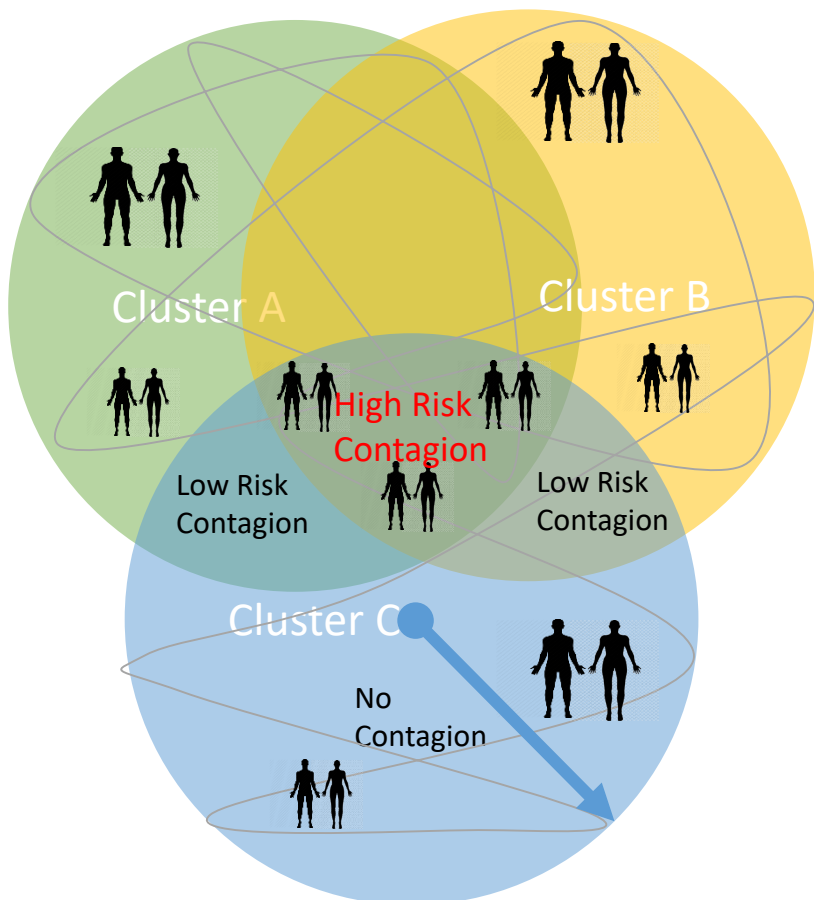
Abstract

The model is based on the correct amount of circulation of the population in reference to the geolocalized parameters and type of cluster interdependency by population under monitoring. We consider the normal circulation as “full people movement” and as such the maximum probability of contagion obtainable, we consider the quarantine as the “no people movement”, that is the maximum probability of non contagion. We can define intermediate scenarios for containment of the various contagion curves.

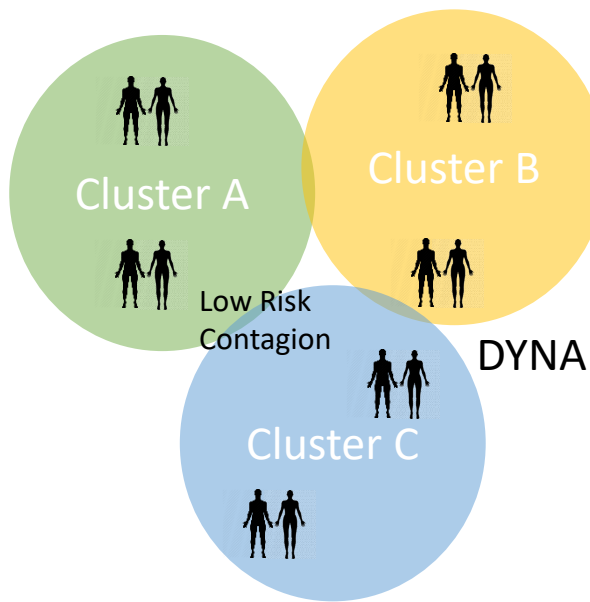


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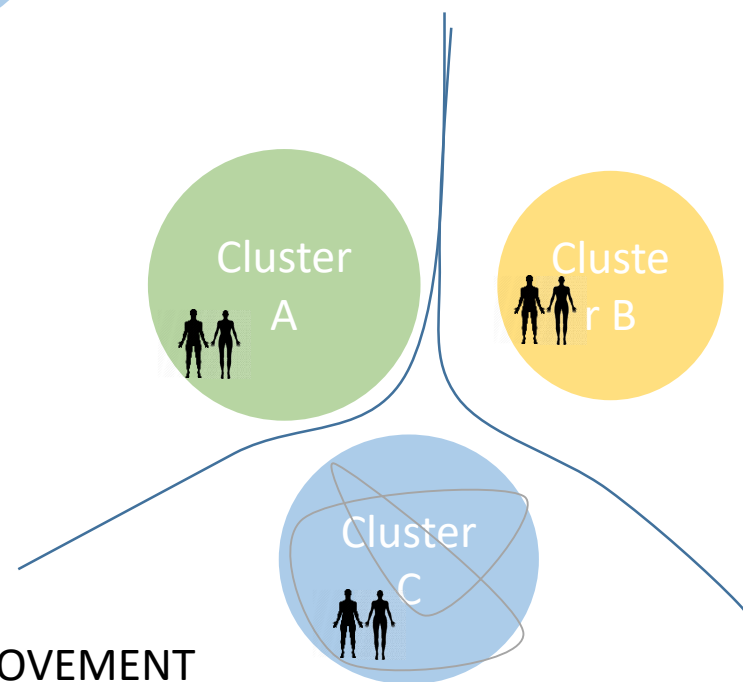
Data Model



FULL PEOPLE MOVEMENT

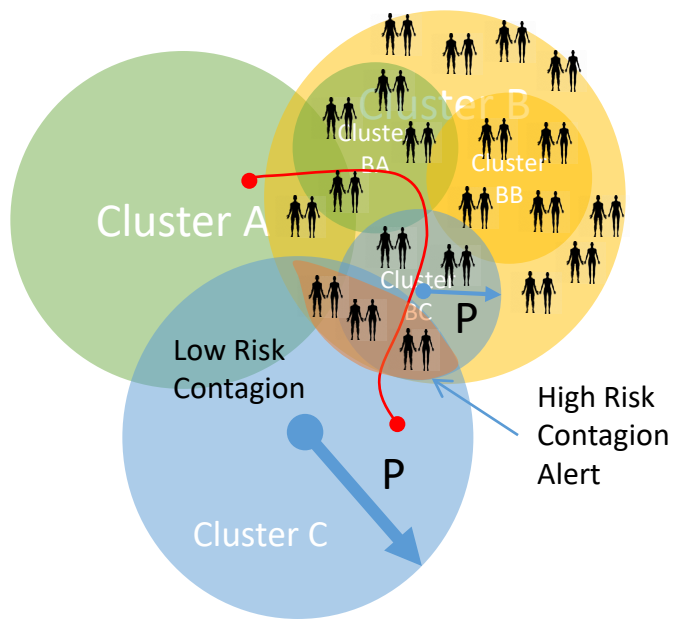


DYNAMIC PEOPLE MOVEMENT

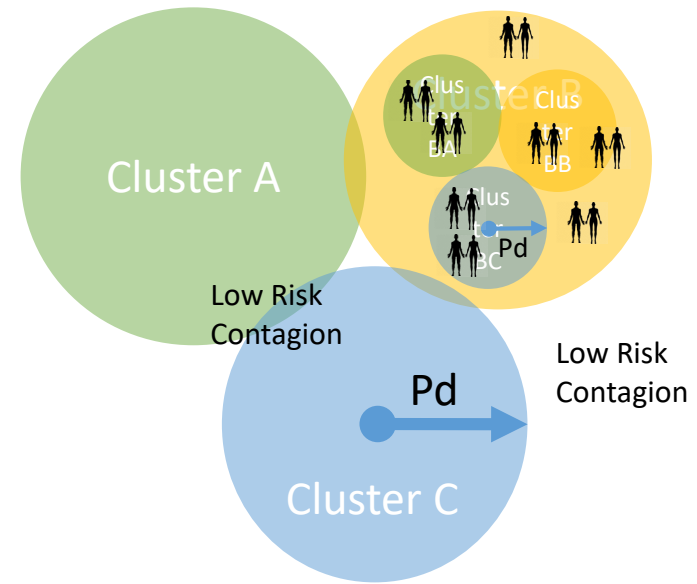


NO PEOPLE MOVEMENT

How it works

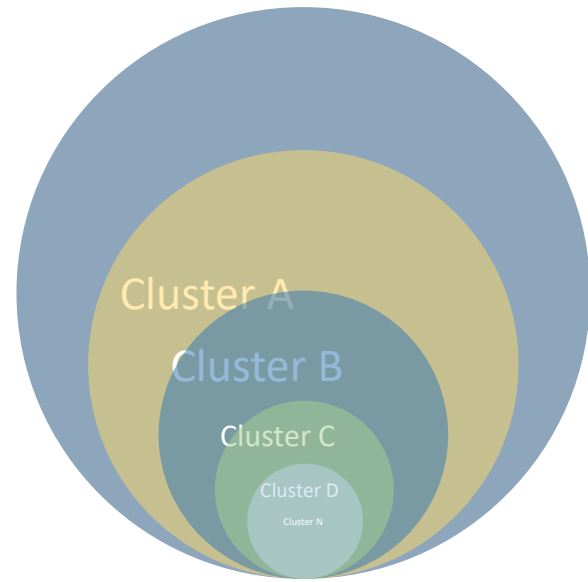


P: POPULATION TOTAL

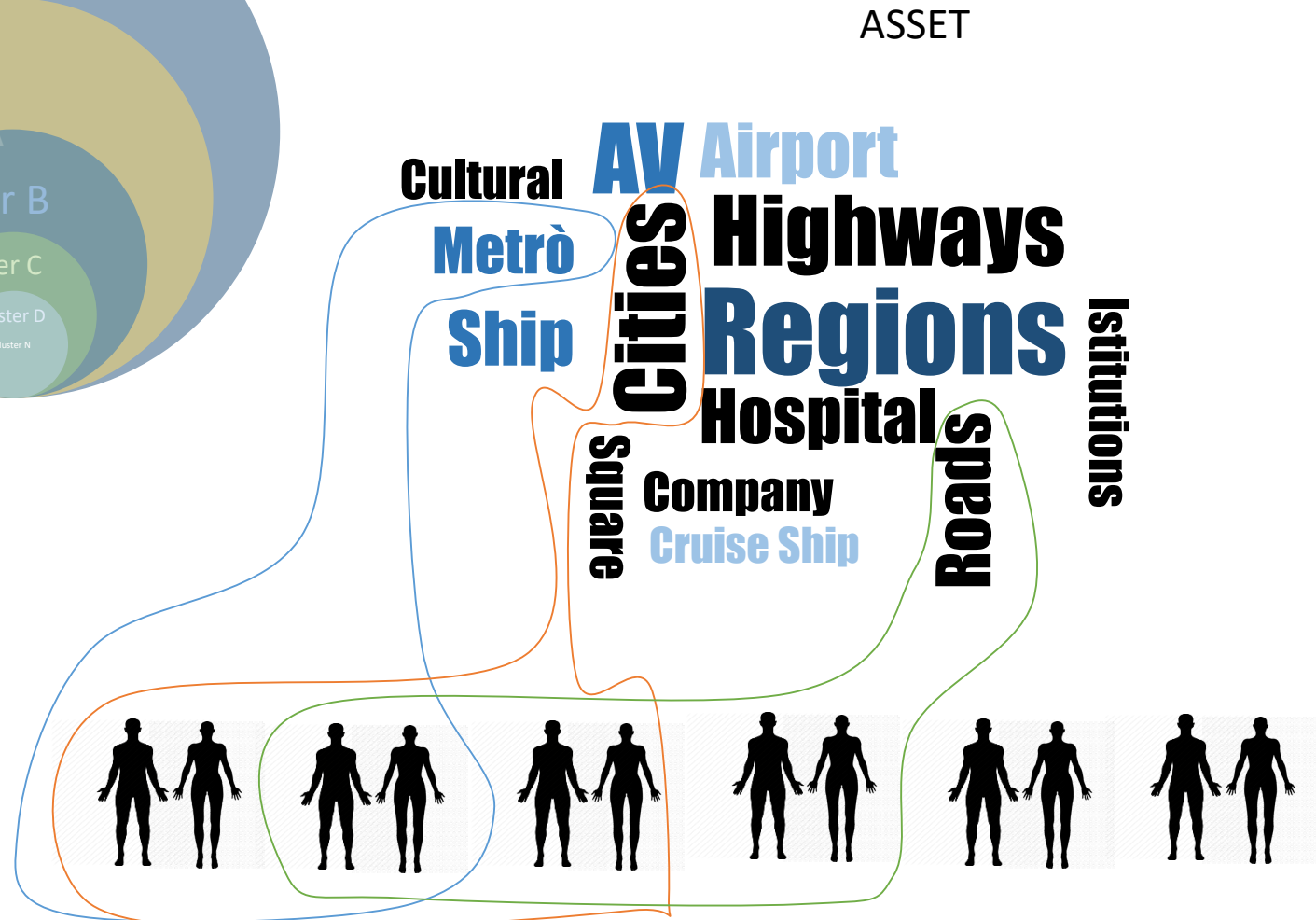


Pd: POPULATION DECREASED

Cluster Interdependency Definition



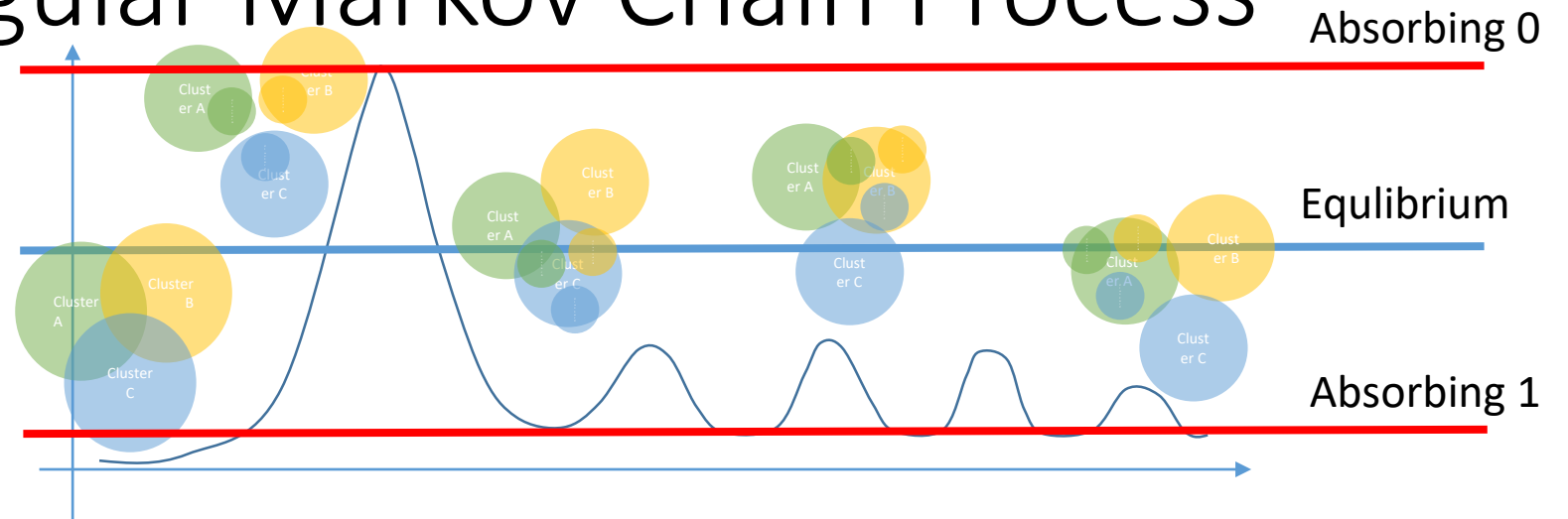
How Many people can authorize to stay on shared asset to prevent the curve contagion?



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Abstract – Regular Markov Chain Process

New State = F (Old State, noise)



A **Markov chain** is a stochastic model describing a sequence of possible events in which the probability of each event depends only on the state attained in the previous event.

The assumption is that different phenotypes determine different clusters that make an ecosystem under agent-based simulation. Different phenotypes, therefore operating at every social level, also considering different demographic levels: families, communities, companies, regions, states. By controlling the balance of people in each phenotype, for example in the issue of self-certification, symptoms, and positive COVID-19 patient, we can regulate all clusters by state of population movement, for the correct simulation of people management in movement and in quarantine preventive.

Markov Chain

ABSORBING MARKOV CHAINS

⊗ A state in a Markov chain is called an absorbing state if once the state is entered, it is impossible to leave.

⊗ Like regular Markov chains, absorbing Markov chains have the property that the powers of the transition matrix approach a limiting matrix.

$$P = \begin{matrix} & \begin{matrix} A & B & C \end{matrix} \\ \begin{matrix} A \\ B \\ C \end{matrix} & \begin{bmatrix} 1 & 0 & 0 \\ .3 & .7 & 0 \\ 0 & .2 & .8 \end{bmatrix} \end{matrix}$$

A is an absorbing state!
B is NOT!
C is NOT!

$$P = \begin{matrix} & \begin{matrix} A & B & C \end{matrix} \\ \begin{matrix} A \\ B \\ C \end{matrix} & \begin{bmatrix} 0 & 0 & 1 \\ 0 & 1 & 0 \\ 1 & 0 & 0 \end{bmatrix} \end{matrix}$$

A is NOT
B is an absorbing state!
C is NOT an absorbing state!
 P, P^2, P^3, P^4, \dots Never approach a limiting matrix

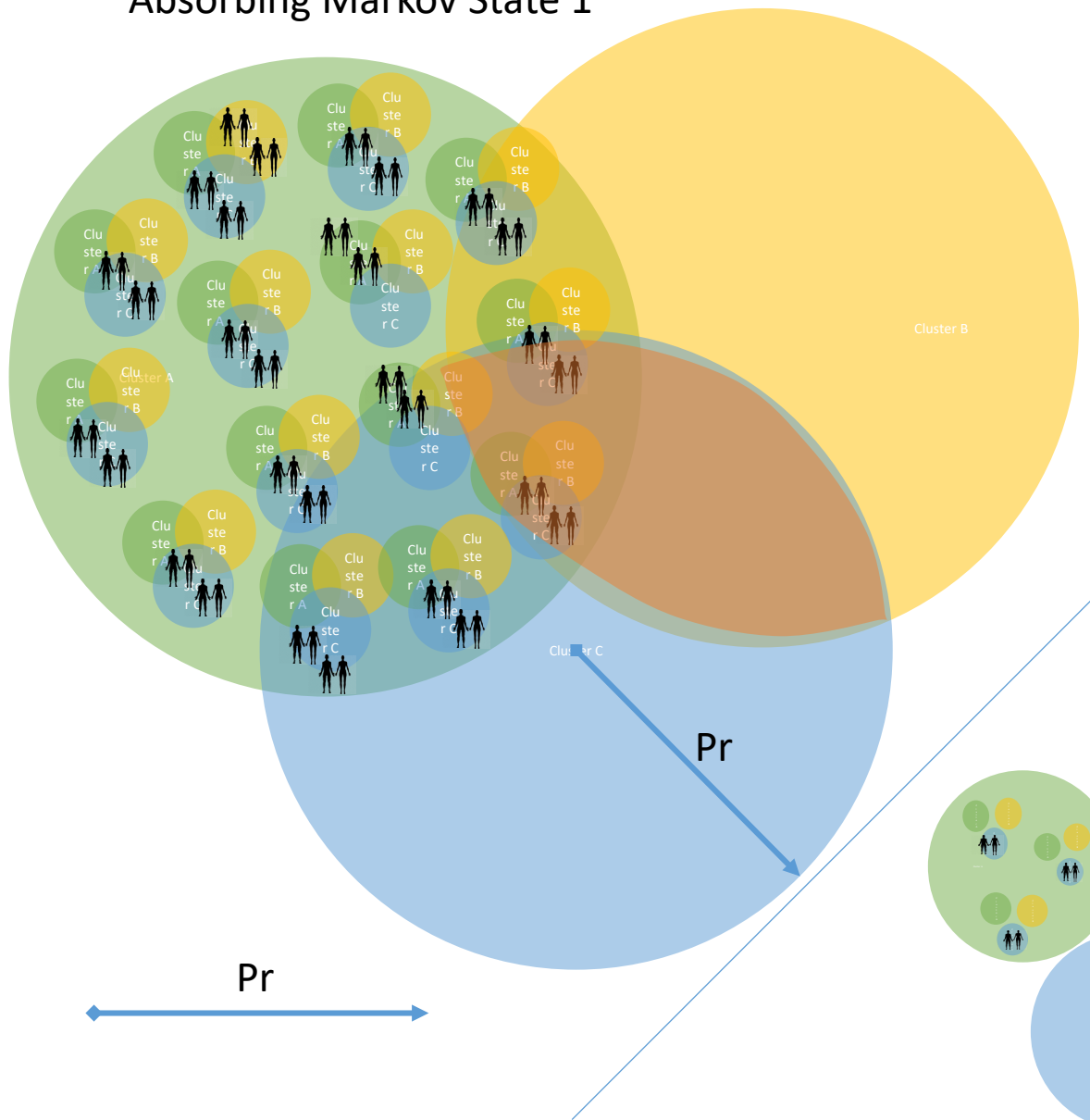
For transition matrices for Markov chains with one or more absorbing states to have limiting matrices, we need one additional condition:

ABSORBING MARKOV CHAINS

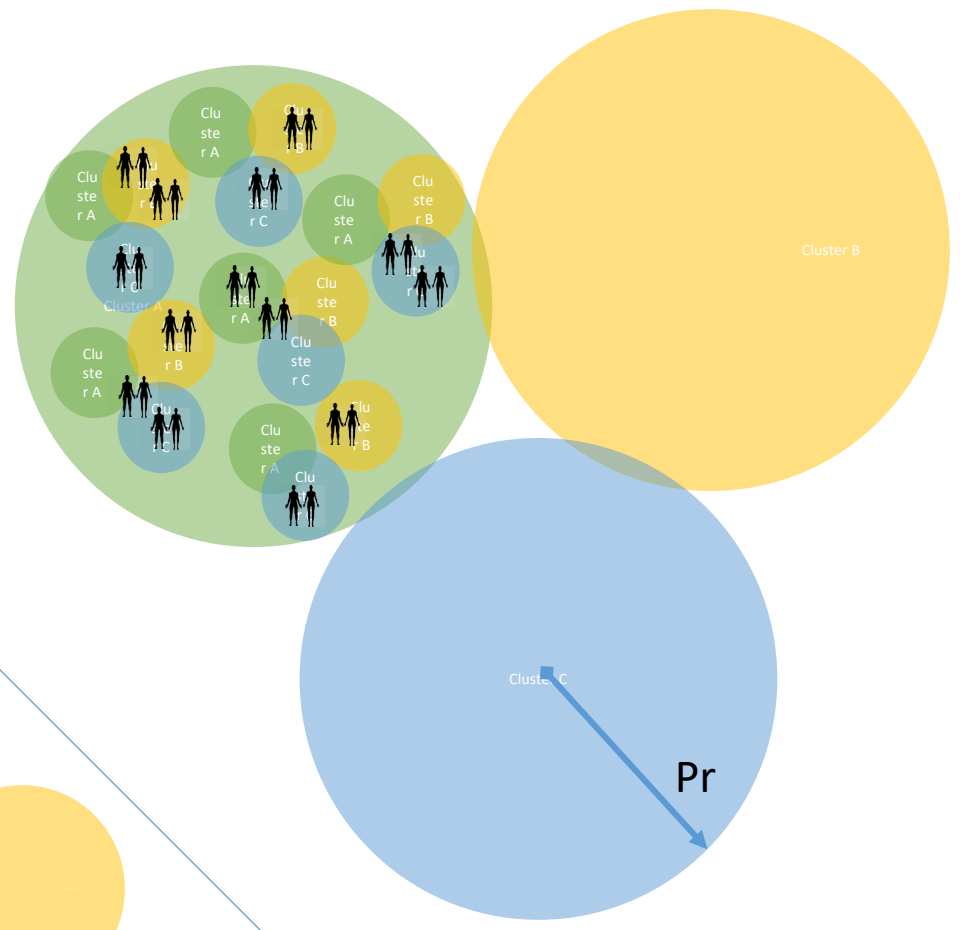
A Markov chain is an absorbing chain if:

- 1) There is at least one absorbing state.
- 2) It is possible to go from each non-absorbing state to at least one absorbing state in a finite number of steps.

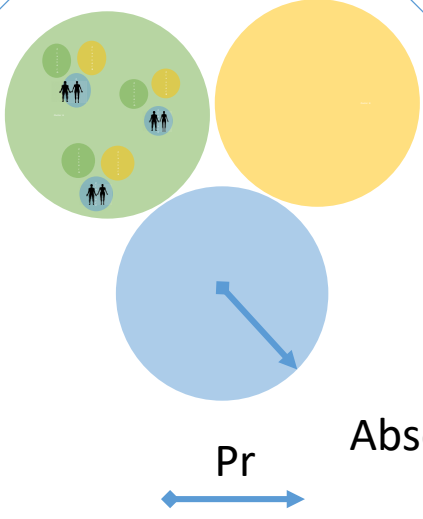
Absorbing Markov State 1



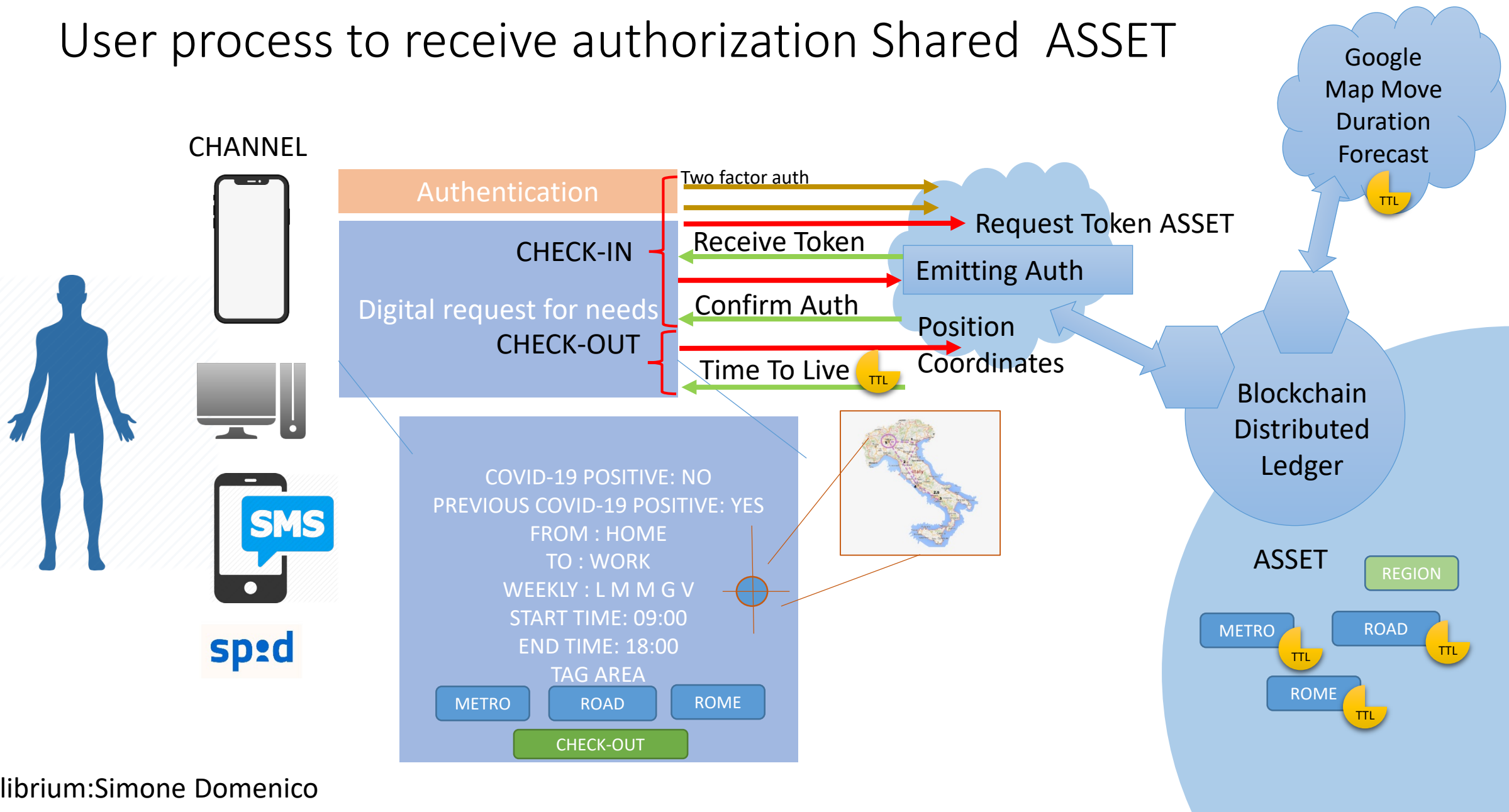
Equilibrium



Absorbing Markov State 0

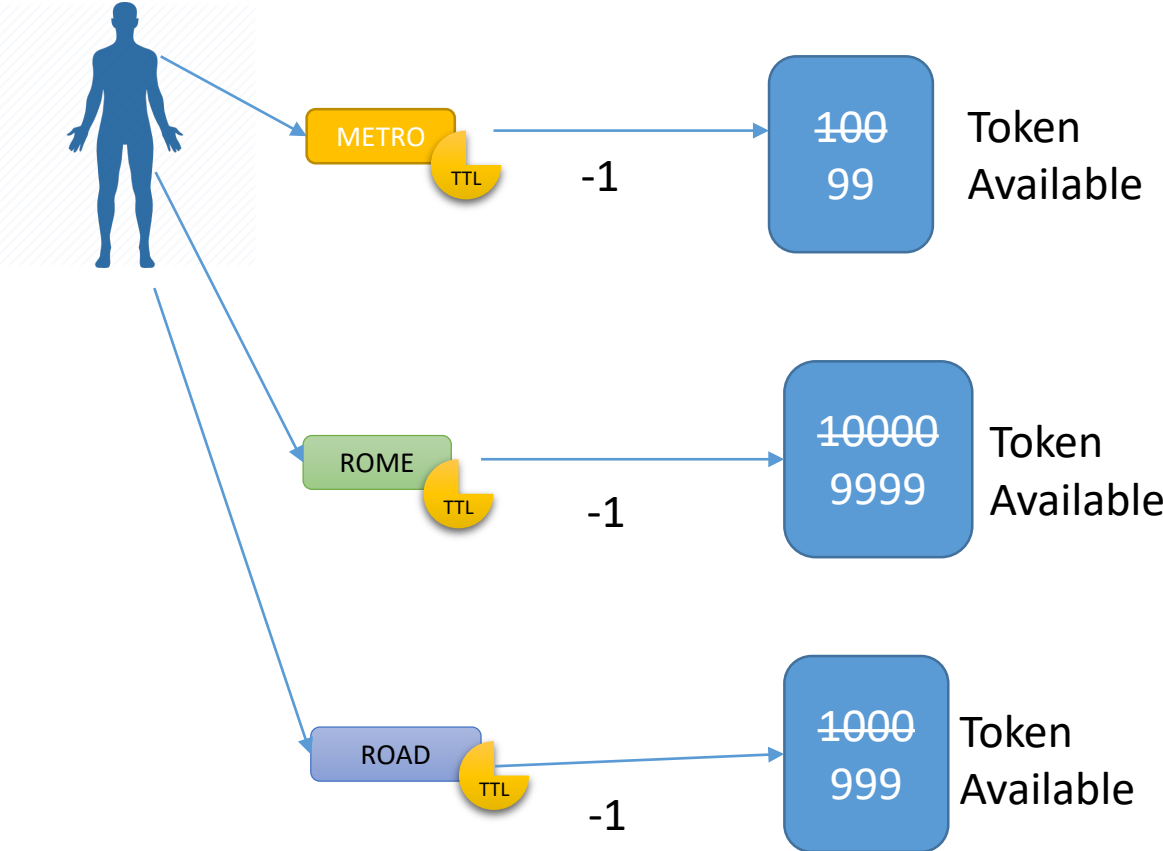


User process to receive authorization Shared ASSET

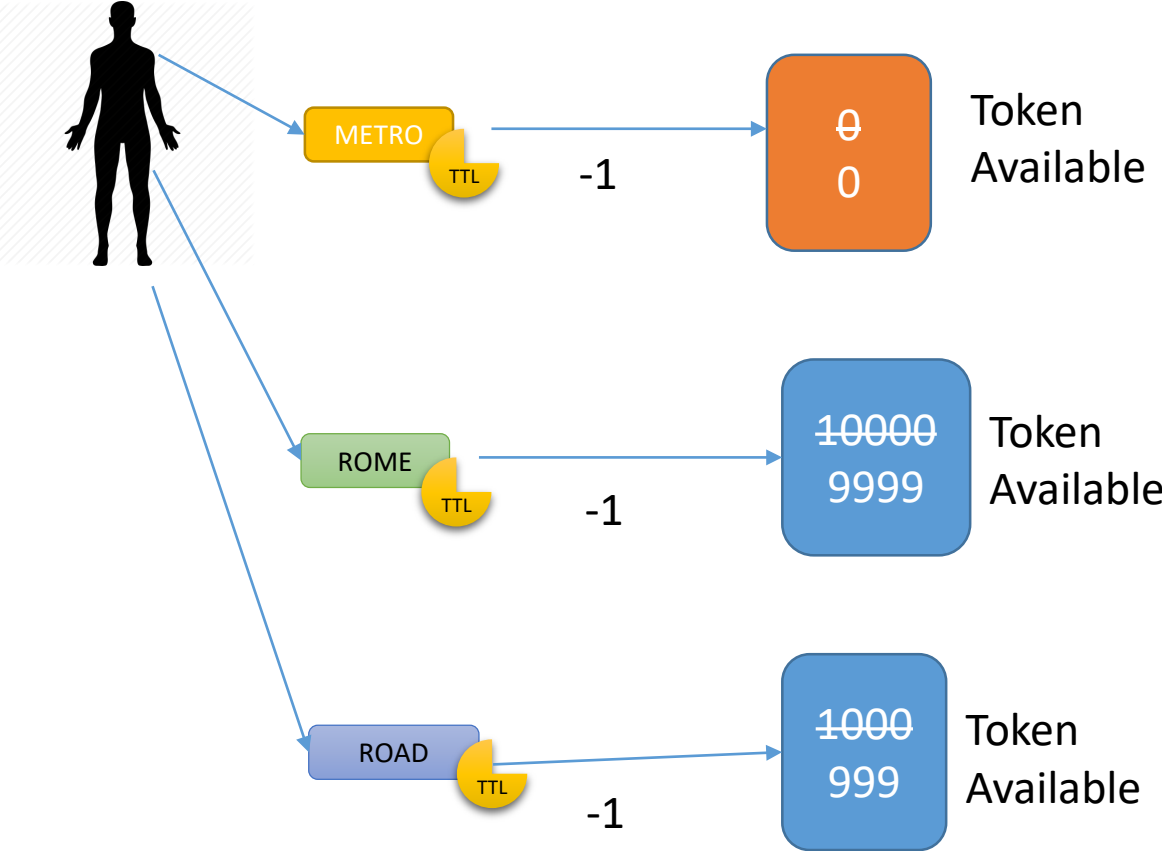


Process To reduce or increase population for release authorization and generated exception of people in quarantine.

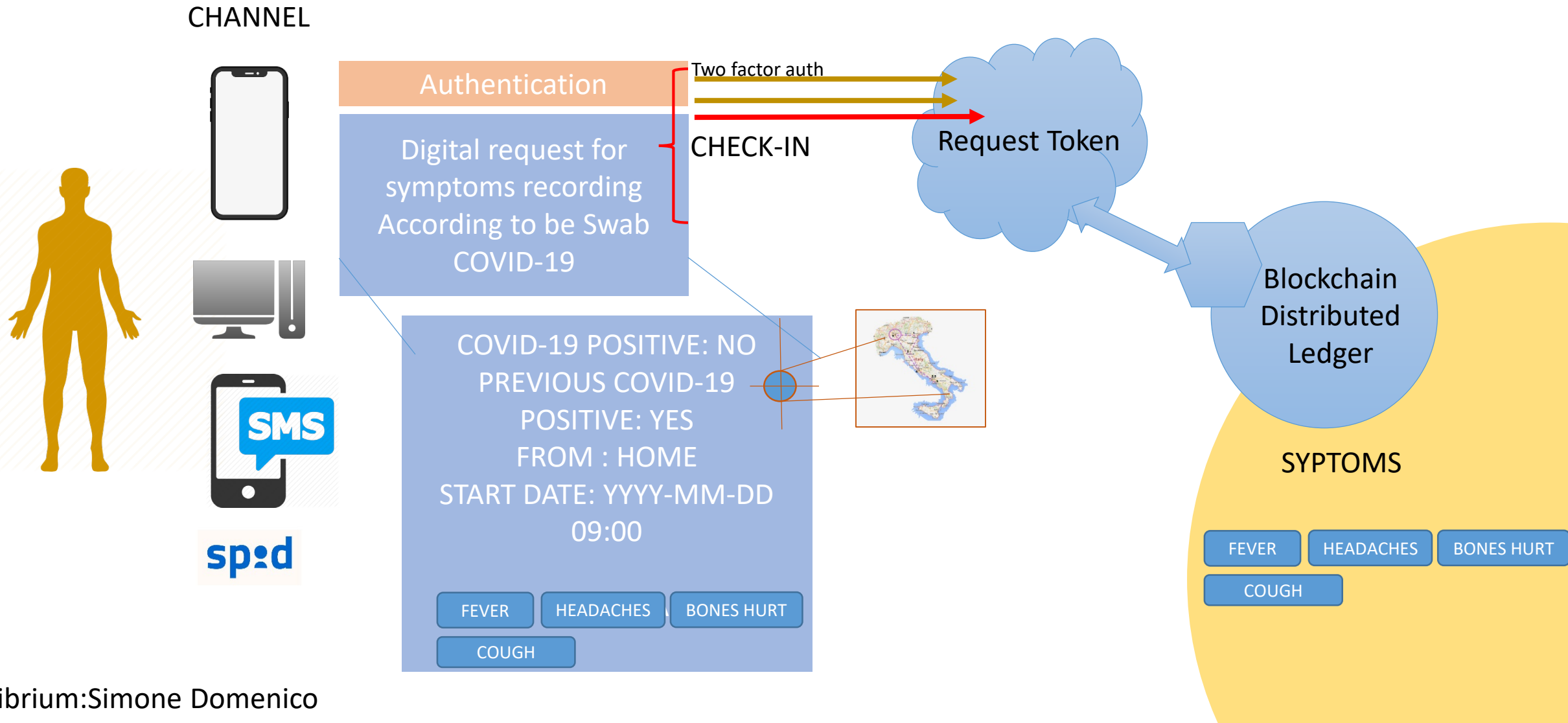
First User Request the token to go to work



N User Request the token to go to work



User process to recording symptoms to be Swab



User process to recording Start of Quarantine home care

